

RMG Study Group

Solvent effects in RMG
(Java + π)

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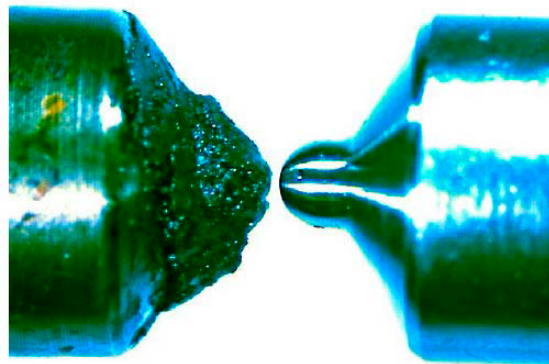
Northeastern University



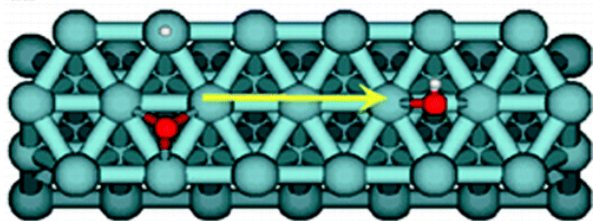
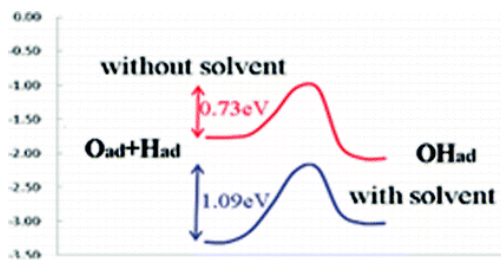
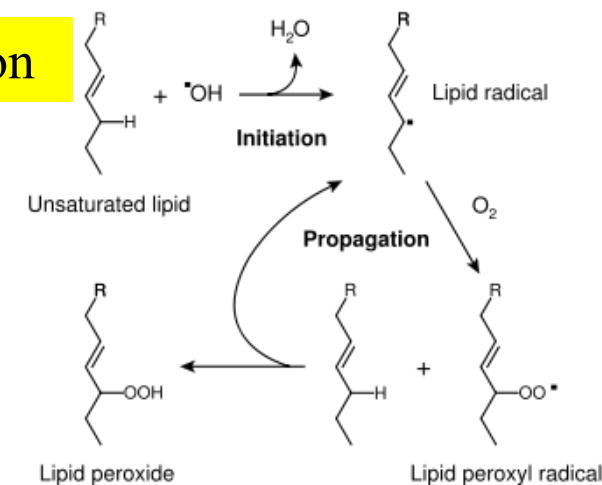
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Solvent effects are important in many chemical systems of practical interest

Engines: gumming and clogging in diesel injectors



Biological oxidation



Catalysis, Fuel cells

Detailed kinetic modeling of solution phase systems is still fairly fictional

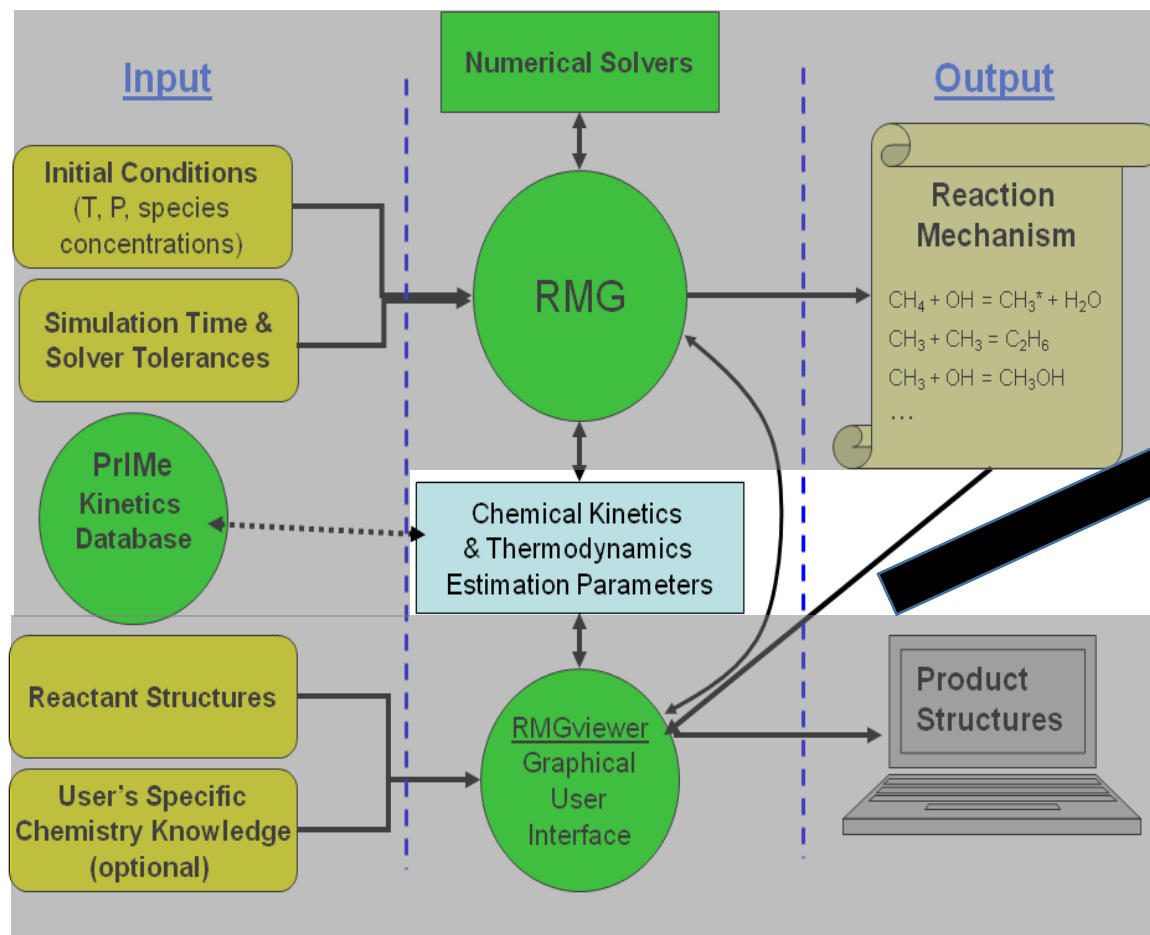


Thermal stability under storage conditions

Objective: to boldly swim
where no one has swum before



RMG System Overview



Requires modifications to
handle different solvents

Automatic estimation of
solvent effects on:

- 1) Species thermochemistry
- 2) Reaction rate parameters

Our application demands both accuracy and high-throughput

System	Reactions	Species
Butanol oxidation	3381	263
Jet Fuel oxidation	7715	317
Methyl formate oxidation	1550	285
Hexane pyrolysis	1178	60

Actual number of reactions and species considered can be $\sim 10^6$

Structure-activity relations are already used in gas-phase RMG for high-throughput parameter estimation

e.g. Group additivity & Evans Polanyi relations

We are looking for similar methods for solution phase thermochemistry and kinetics

Outline

We want quick estimates of $G_i(T)$ and k in different solvents

- Solution phase thermochemistry
- Solution Phase kinetics



Metrics: Accuracy and high-throughput

Solvation thermodynamics involves cavity formation and solute-solvent interactions



Digging a hole
in the solvent

- Dipolarity/
polarizability
- Hydrogen bonding

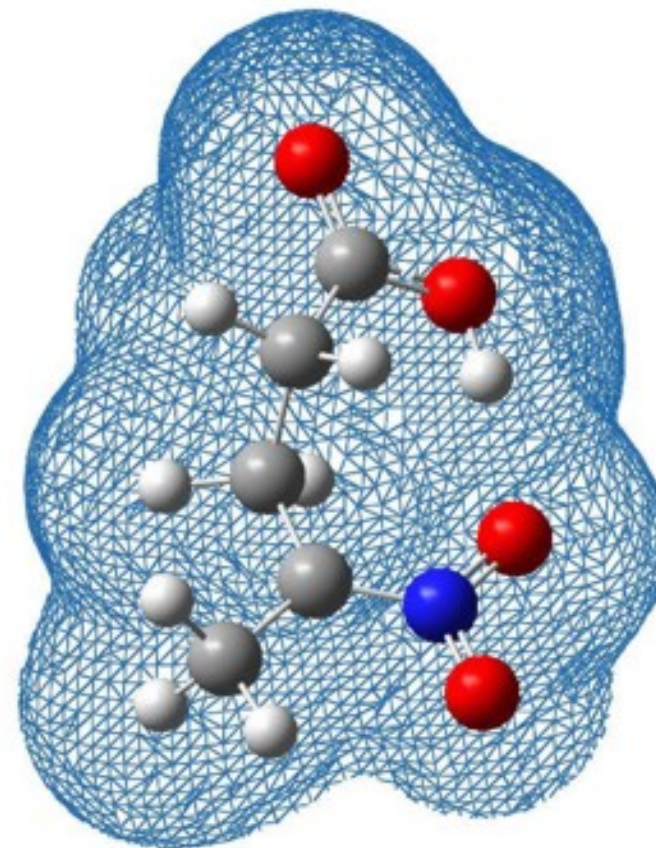
Free energy change of entire process = ΔG_{solv}^0

Existing theoretical models for ΔG_{solv}^0 are fairly accurate but computationally expensive

- Implicit solvation models
 - QM description of solute, solvent as bulk continuum
 - Model both kinetics and thermochemistry
- Explicit solvent molecular mechanics
 - Use force fields to model solute solvent interactions
- Parameterized using experimental data

1. On-the-fly quantum calculations:
computationally expensive

2. Gas phase approach:
Perform QM calculations and fit groups
for each solvent



Empirical models of solvation use solute/solvent descriptors to model ΔG_{solv}^0

The Abraham model

- Linear Solvation Energy Relationships (LSER)
- Use molecular descriptors to quantify different interactions

$$-\frac{\Delta G_{\text{solv}}^0}{2.303RT} = c + eE + sS + aA + bB + lL$$

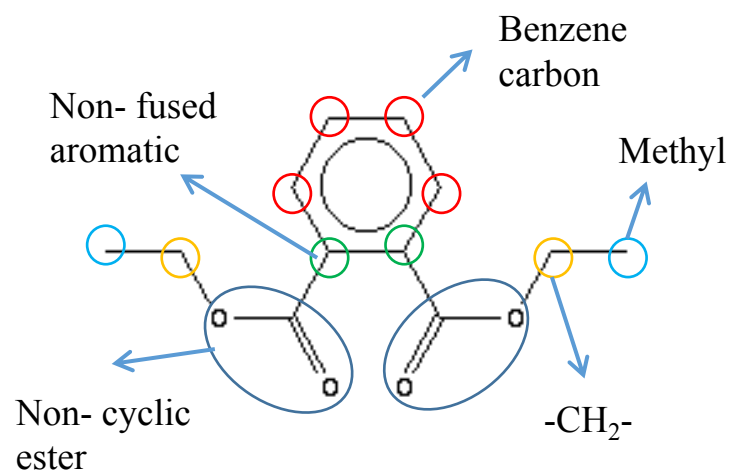
Legend:
■ Solute descriptor (blue)
■ Solvent dependent coefficients (red)

Annotations:
- c : Electrostatic (dipolarity, polarizability)
- eE and sS : Electrostatic (dipolarity, polarizability)
- aA and bB : Hydrogen bonding
- lL : Cavity Formation

A, B, E, S, L : available for over 5000 solutes
 c, a, b, e, s, l : available for >50 solvents

LSER approach is attractive if we can estimate solute descriptors for an arbitrary molecule

Platts *et al.* developed a group additivity approach



Descriptor	Value
A	0.003
B	0.807
E	0.752
S	1.391
L	7.072

Solvent	ΔG_{solv}^0 (kcal/mol)
Hexane	-9.68
Water	-7.58
CH ₃ CN	-11.65
DMSO	-11.57

2D molecular structure



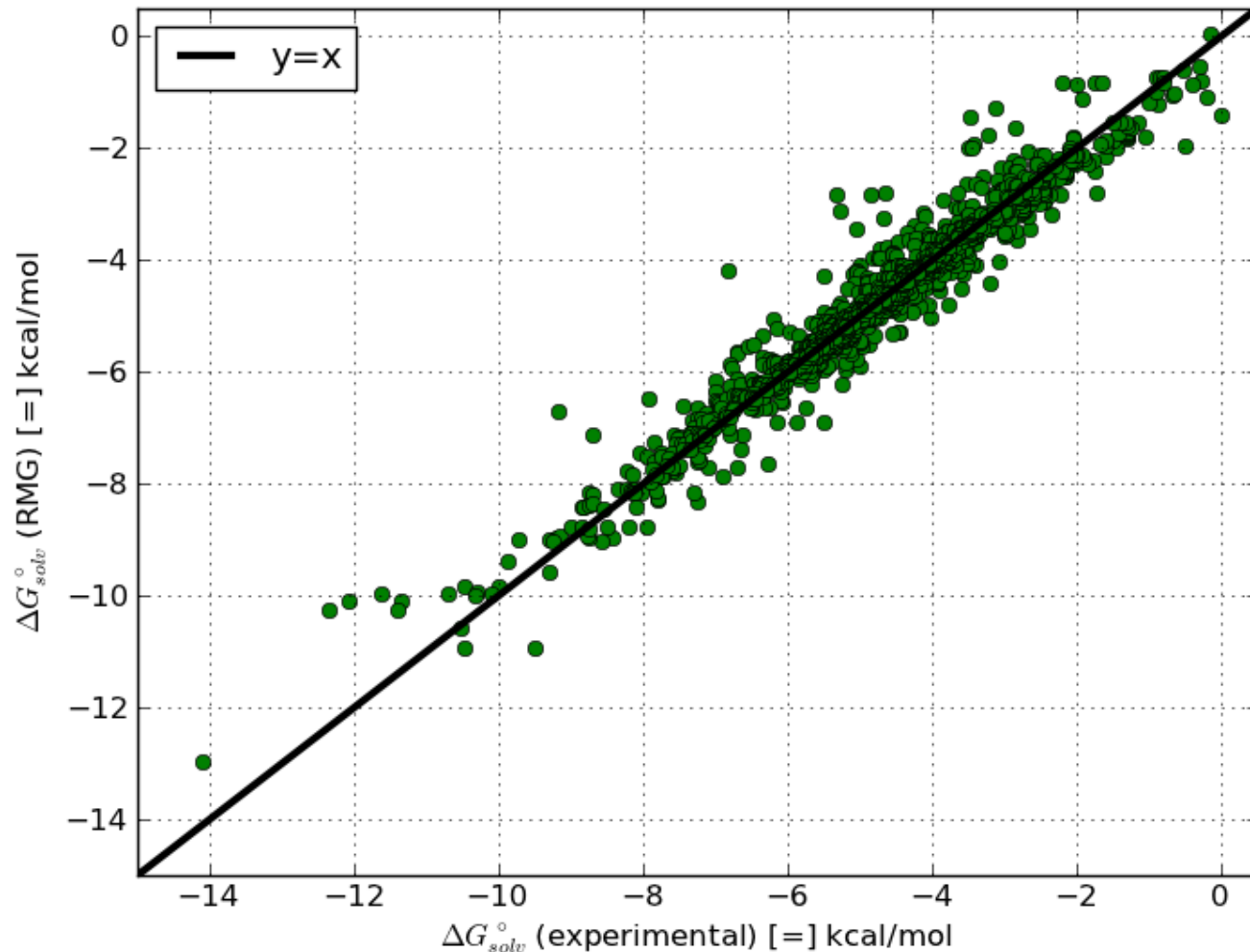
Solute descriptors



ΔG_{solv}^0

Negligible cost per computation => high-throughput

LSEER reproduce experimental ΔG_{solv}^0 for a variety of solute-solvent pairs



- Minnesota Solvation Database: 935 experimental data points (130 solutes, 35 solvents)
- RMS error (RMSE) = **0.47 kcal/mol**
- Outliers: solute-solvent pairs with strong H-bonding

Temperature dependence: decomposition of ΔG_{solv}^0 into ΔH_{solv}^0 & ΔS_{solv}^0

$$\Delta G_{solv}(T) = \Delta H_{solv}^0 - T\Delta S_{solv}^0$$

Method 1: Analytical expressions from hard-sphere models

$$\Delta S_{solv}^0 \approx \Delta S_{cav}^0 = -\left(\frac{\partial \Delta G_{cav}^0}{\partial T}\right) = K'_0 + K'_1 r_{cav} + K'_2 r_{cav}^2$$

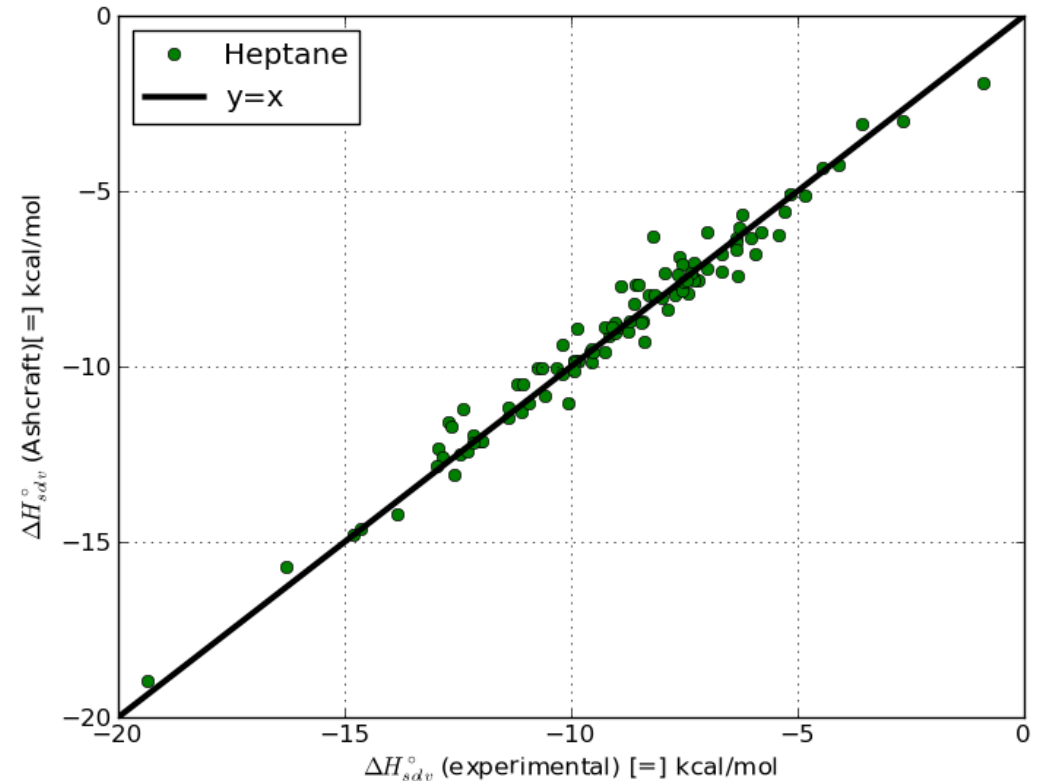
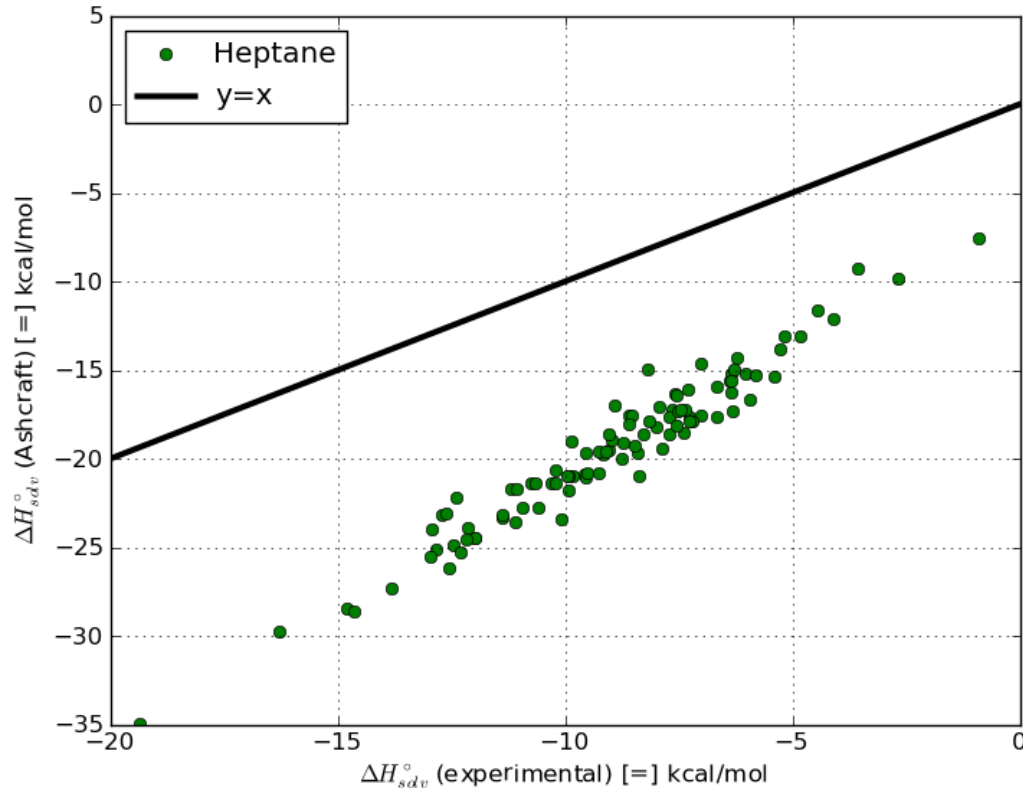
- Input parameters: r_{solute} , $r_{solvent}$, ρ , T

Method 2: Empirical correlations for ΔH_{solv}^0 developed by Mintz *et al.**

$$\Delta H_{solv}^0 = c' + e'E + s'S + a'A + b'B + l'L$$

- No new input parameters, may not be available for all solvent of interest

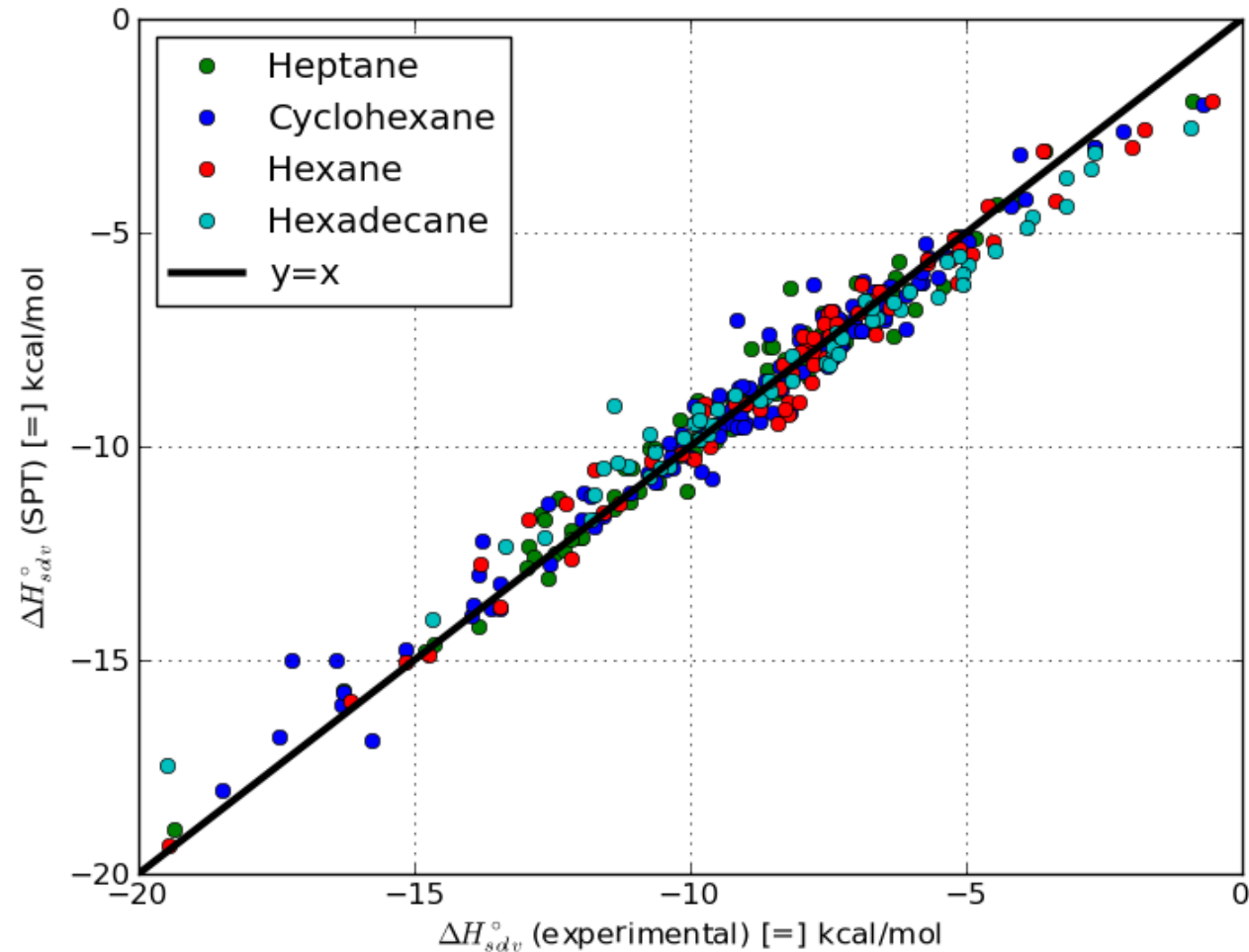
Testing the accuracy of hard sphere models: alkane solvents



Use of correction factors drastically improves agreement with experimental data:

- Heptane: $\alpha = 1.38 A^0$, $\beta = 0.95$
- High sensitivity to molecular radii

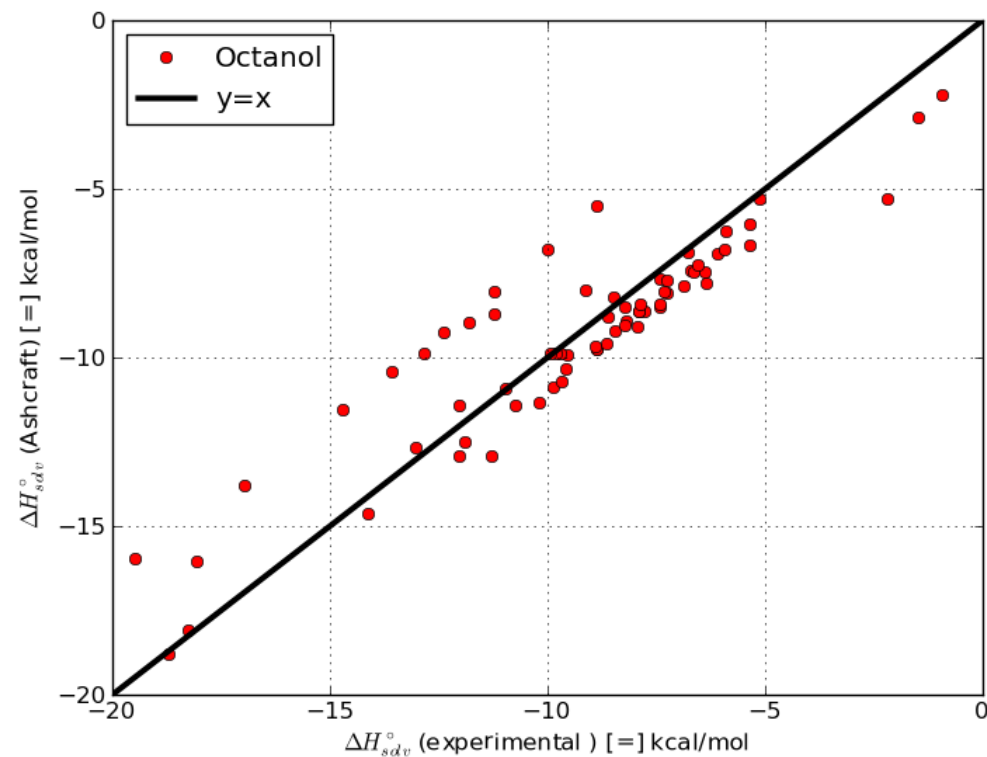
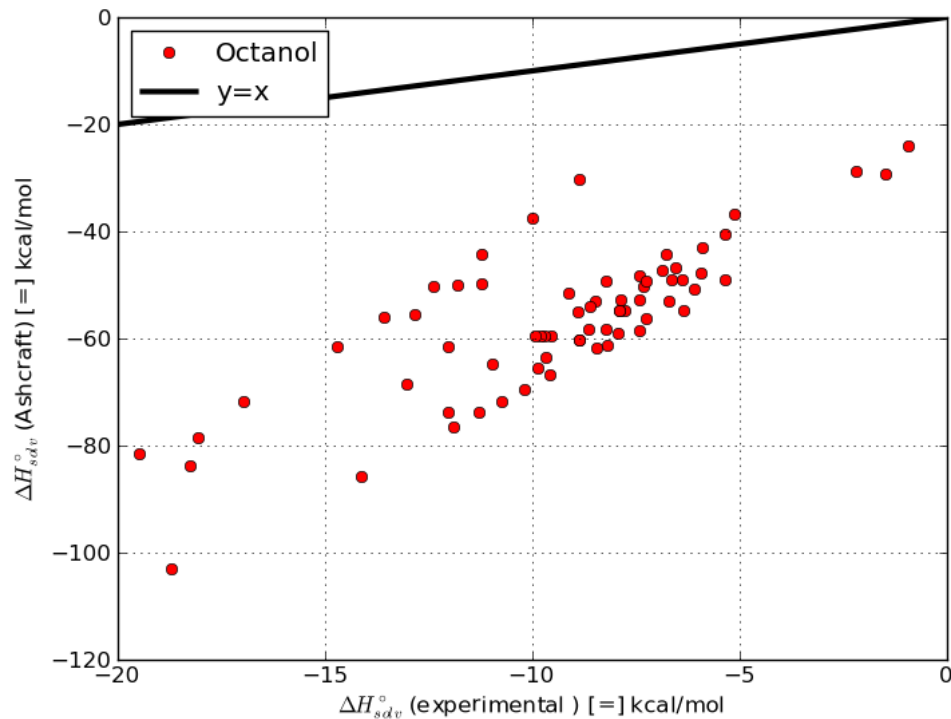
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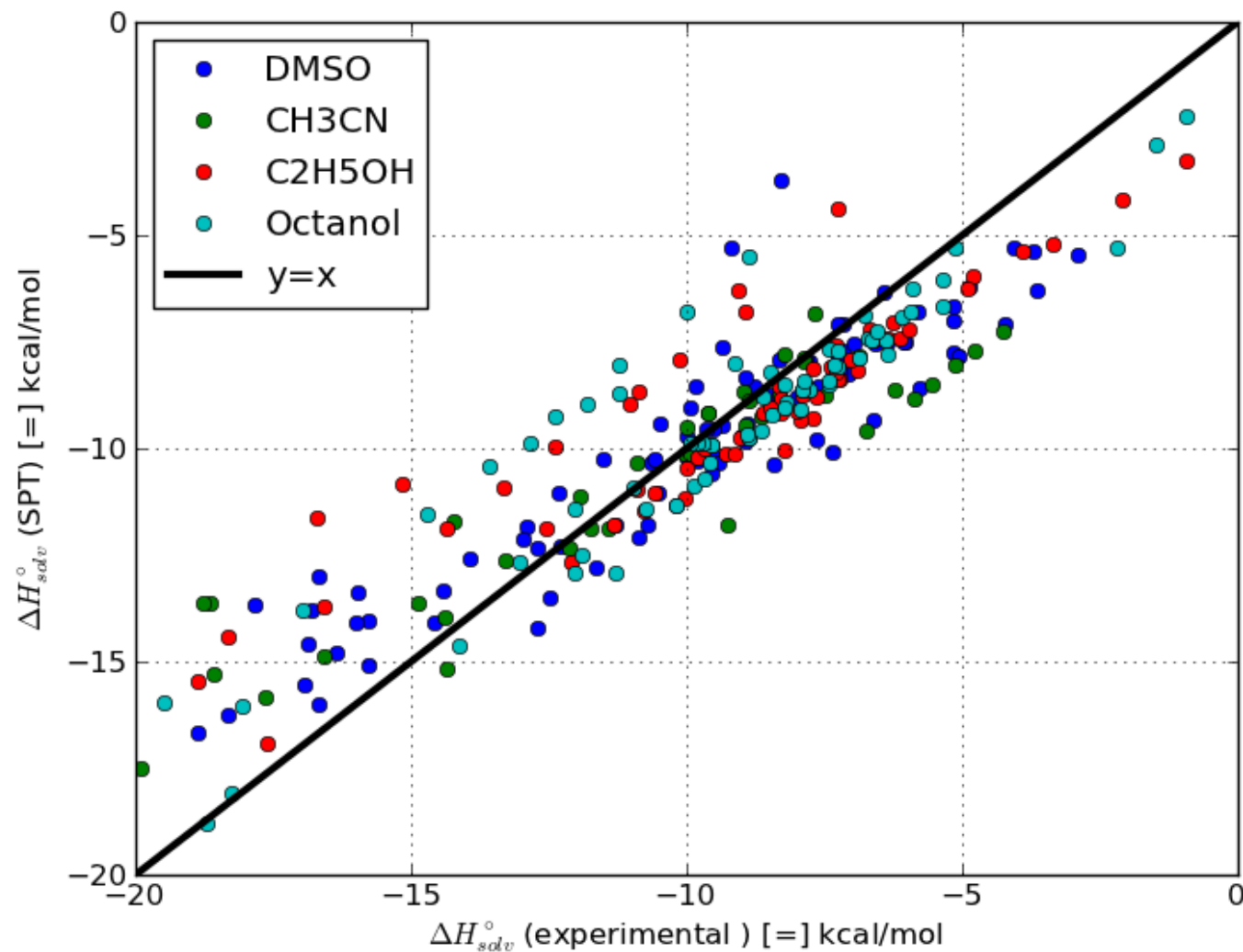
Testing the accuracy of hard sphere models: protic solvents

Correction factors improve agreement: Octanol: $\alpha = -1.72 A^0$, $\beta = 0.91$

- Species with strong H-bonding are main outliers

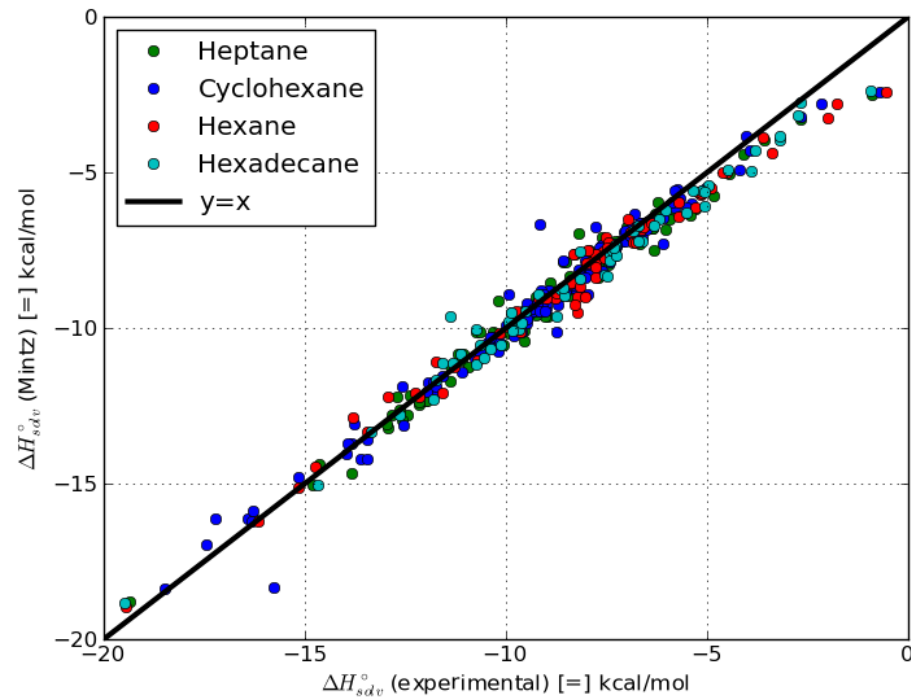


Testing the accuracy of hard sphere models: protic solvents

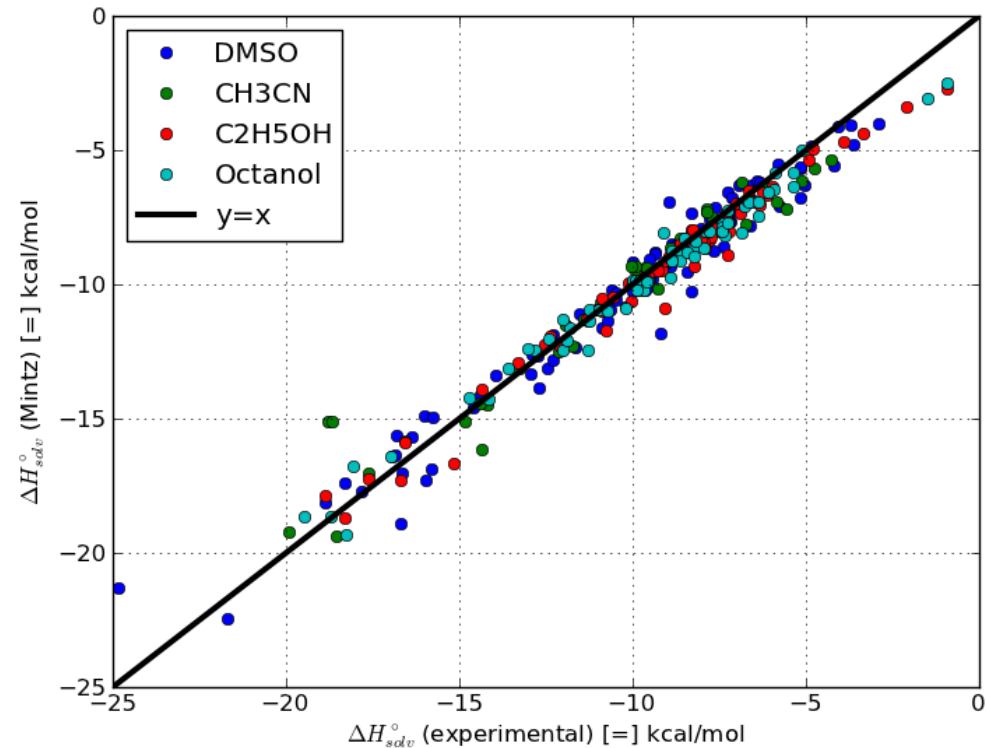


Empirical correlations work for both alkane and protic solvents

$$\Delta H_{solv}^0 = c' + e'E + s'S + a'A + b'B + l'L$$



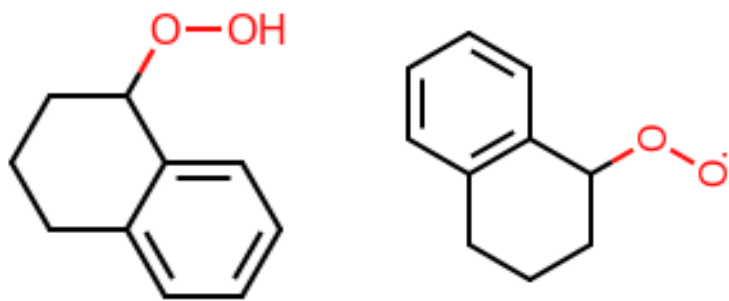
Mintz estimates for alkane solvents with RMG descriptors



Mintz estimates for protic solvents with RMG descriptors

Simple approximations are used to estimate solvation of free radical intermediates

- Corrections using Platts' group values are being used
 - correct for H-bond donating ability (A) of saturated species
 - all other descriptors assumed to be the same



Species	E	S	A	B	L
ROOH	1.044	1.147	0.348	0.644	6.232
ROO·	1.044	1.147	0.003	0.644	6.232

Species	ΔG_{hyd}^0 (k_H)	ΔG_{hyd}^0 (RMG)
HO·	-3.9	-4.7
HOO·	-6.8	-7.5

These radical corrections are implemented in a manner similar to gas phase thermo.

*values in kcal/mol

Outline

We want quick estimates of $G_i(T)$ and k in different solvents

- Solution phase thermochemistry

Abraham/Platts/Mintz
+ some QM

Solvent dependent
structure activity
relationships

- Solution Phase kinetics

Metrics: Accuracy and high-throughput

Outline

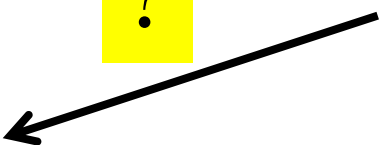
We want quick estimates of $G_i(T)$ and k in different solvents

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?

Solvent dependent
structure activity
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Metrics: Accuracy and high-throughput

Prevailing view: Solvents do not influence radical reaction rates

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www.rsc.org/csr

TUTORIAL REVIEW

The frequently overlooked importance of solvent in free radical syntheses

Grzegorz Litwinienko,^a A. L. J. Beckwith^b and K. U. Ingold^{*c}

Received 8th January 2011

DOI: 10.1039/c1cs15007c

COMMUNICATION

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Kinetic solvent effects on peroxy radical reactions†

Mukund Jha and Derek A. Pratt*

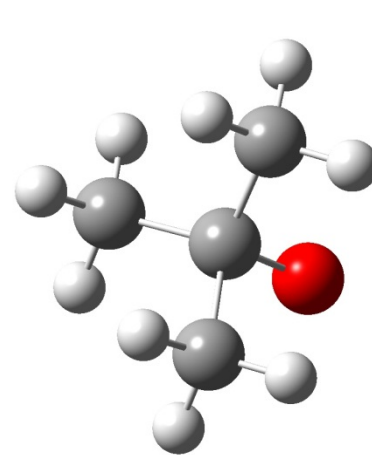
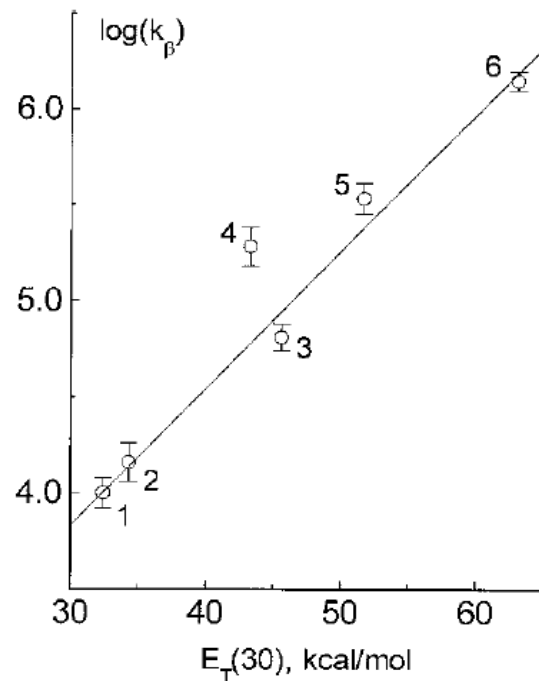
Received (in Cambridge, UK) 9th January 2008, Accepted 25th January 2008

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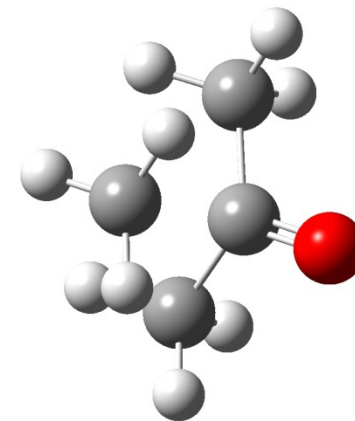
DOI: 10.1039/b800369f

Solvent can affect elementary reaction rates primarily through two routes

1. Differential solvation of transition state vs. reactants



Reactant
 $\mu = 1.97$ Debye

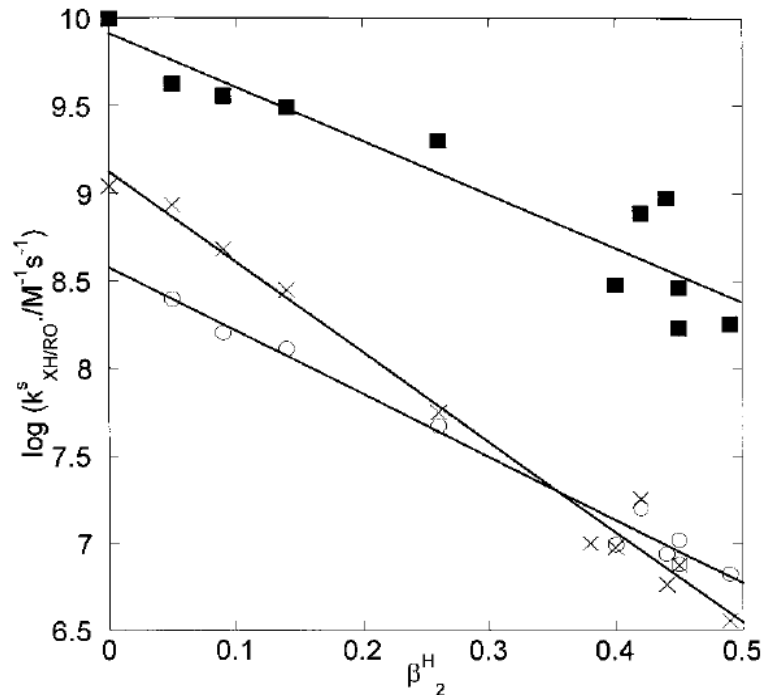


Transition state
 $\mu = 2.64$ Debye

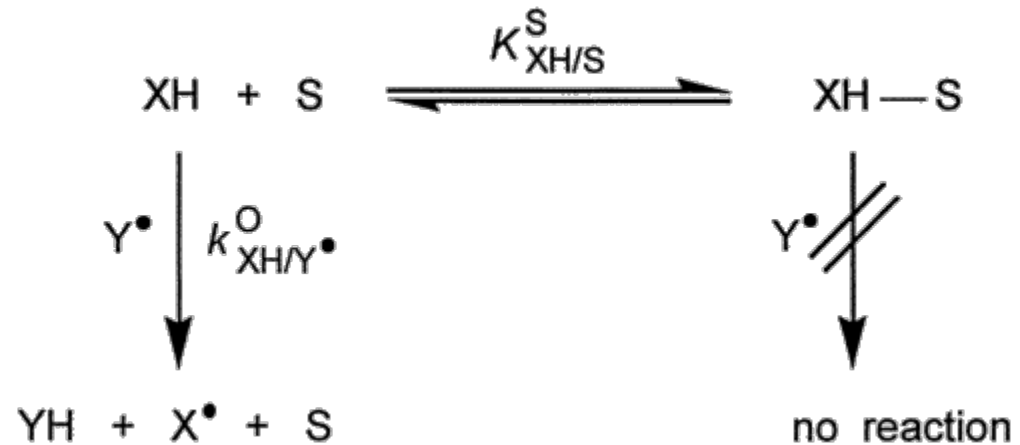
β -scission rates \Leftrightarrow electrostatic descriptors

Solvents can affect elementary reaction rates primarily through two routes

2. Formation of reactant-solvent complexes



$$\log k_S = \log k_0 - 8.3AB$$

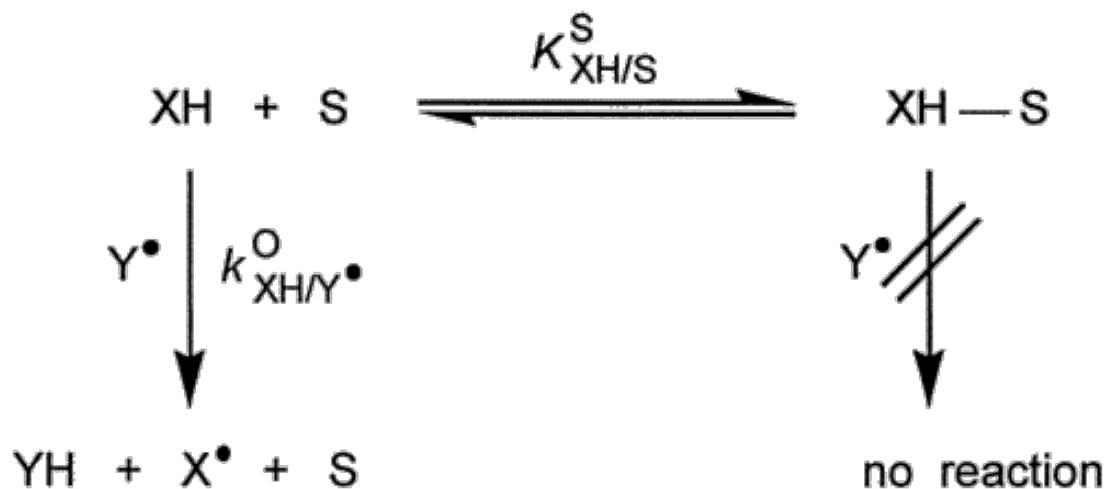


H-Abstraction \leftrightarrow H-bonding descriptors

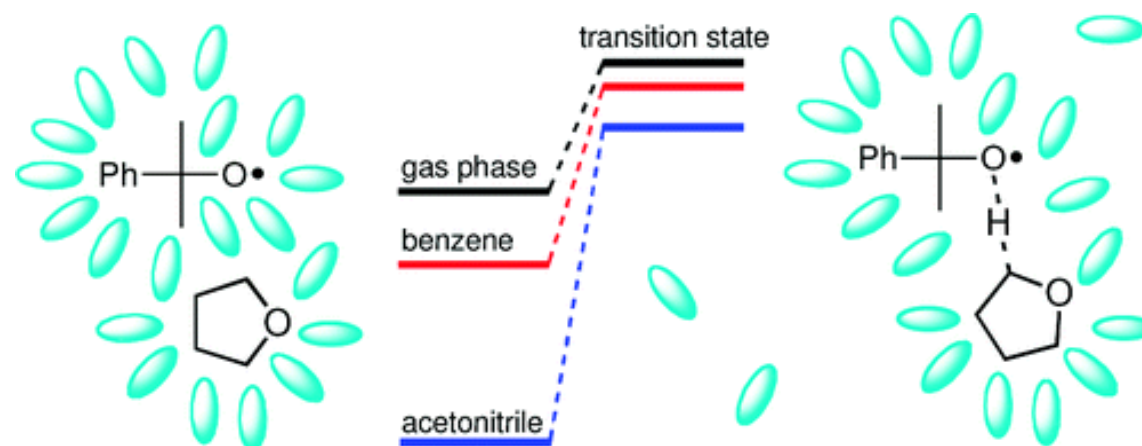
Complexation with solvent can reduce availability of free reactants

It is also possible that both effects operate simultaneously

Differential solvation and reactant-solvent complexes



Snelgrove *et al.*, 2001



El-Sheshtawy *et al.*, 2011

To what extent can computational modeling help us quantify these effects?

Outline

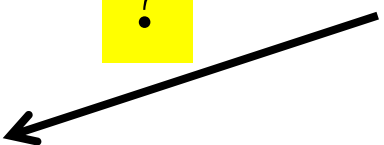
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